# Summary of the First Neutrino Oscillation Results from the NOvA Experiment



### **Overview:**

Neutrino Oscillations

• The NOvA Experiment

 First ν<sub>µ</sub> Disappearance Results (arXiv:1601.05037v2)

 First v<sub>e</sub> Appearance Results (arXiv:1601.05022v1)

# A Good Time to be in Neutrino Physics!



#### **2015 Nobel Prize in Physics**

#### **2016 Breakthrough Prize in Physics**



$$\begin{pmatrix} v_e \\ v_{\mu} \\ v_{\tau} \end{pmatrix} = \begin{bmatrix} U_{e1} & U_{e2} & U_{e3} \\ U_{\mu 1} & U_{\mu 2} & U_{\mu 3} \\ U_{\tau 1} & U_{\tau 2} & U_{\tau 3} \end{bmatrix} \begin{pmatrix} v_1 \\ v_2 \\ v_3 \end{pmatrix}$$

- Neutrinos can be described in one of two different bases: flavor or mass.
- Neutrino mixing is described by 3 real rotation angles and a CP violating phase factor,  $\delta$ .
- All three rotation angles have been measured, but we don't yet know what delta is.



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- All three rotation angles have been measured, but we don't yet know what delta is.
- The mixing is very different in the quark and lepton sectors!



# **Open Questions:**



Flavor oscillation in general:

$$P(\nu_{\alpha} \to \nu_{\beta}) = \left| \sum_{j} U^*{}_{\alpha j} U_{\beta j} e^{-im_j^2 L/2E} \right|^2$$

 $v_{\mu}$  survival probability:

$$P(v_{\mu} \rightarrow v_{\mu}) \approx 1 - \sin^2(2\theta_{23})\sin^2\left(\frac{1.27\Delta m_{32}{}^2L}{E}\right)$$
$$\Delta m_{ij}{}^2 \equiv m_i{}^2 - m_j{}^2 \qquad \qquad \Delta_{23}$$

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$$\Delta_{23}^{nts}$$



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 $v_{\rm e}$  appearance probability:

$$P\begin{pmatrix} (\nu_{\mu}^{(-)} \rightarrow \nu_{e}^{(-)}) \approx P_{atm} + P_{sol} + 2\sqrt{P_{atm}P_{sol}} [\cos(\Delta_{32})\cos(\delta) \mp \sin(\Delta_{32})\sin(\delta)]$$

$$P_{atm} \equiv \sin^{2}(\Theta_{23})\sin^{2}(2\Theta_{13}) \frac{\sin^{2}(\Delta_{31} \mp aL)}{(\Delta_{31} \mp aL)^{2}} (\Delta_{31})^{2} \qquad "-" = neutrinos$$

$$"+" = anti - neutrinos$$

$$a \equiv G_{F}N_{e}/\sqrt{2}$$

$$P_{sol} \equiv \cos^{2}(\Theta_{23})\sin^{2}(2\Theta_{12}) \frac{\sin^{2}(\mp aL)}{(\mp aL)^{2}} (\Delta_{21})^{2} \qquad N_{e} = electron \ density \ in \ Earth$$

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**matter effect:** caused by  $v_e$  scattering off  $e^-$  as they travel through the Earth...

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#### octant

#### hierarchy

Is  $θ_{23} > 45°$  or  $θ_{23} < 45°$ ? Is  $m_3 > m_1$  or is  $m_3 < m_1$ ?

#### **CP violation**

ls δ ≠ 0?

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For fixed  $L/E = 0.4 \ km/MeV$ 

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$$N_{e} = appearance \ and \ \overline{\nu_{e}} \ appearance$$
will help us answer these open questions!
$$A \ simultaneous \ measurement \ of \ \nu_{e} \ appearance \ and \ \overline{\nu_{e}} \ appearance$$
will help us answer these open questions!

### **The NOvA Experiment:**

# The NOvA Experiment: NuMI Beam

#### NuMI - <u>Neu</u>trinos at the <u>Main Injector</u>

- provides a 10 µsec pulse every 1.33 sec
- currently operating at > 500 kW
- averaging 85% uptime
- expected to reach 700 kW this year





# The NOvA Experiment: NuMI Beam



# **The NOvA Experiment: Detectors**



**Above:** NOvA has 2 detectors, near and far. Each is composed of alternating, orthogonal planes of extruded PVC.

Far → 14 kton, 810 km from Fermilab, on the surface Near → 300 ton, 1 km from the beam source, 105 m underground **Right:** The NOvA cell is composed of extruded PVC filled with a liquid scintillator. A looped fiber collects scintillation light and transmits it to an avalanche photo-diode (APD.)

Cells are 4 cm x 6 cm and in the far detector are 15.5 m long, in the near detector, they are 4 m long.



To 1 APD pixel



**Far Left:** The NOvA APD showing the pixels used to read out 32 cells.

**Near Left:** The interface to the APD showing both ends of each of the fibers from 32 cells.

# **The NOvA Experiment: Detectors**



A simulated numu CC event showing a long muon track.

 $v_{\mu}$  + N  $\longrightarrow$   $\mu$  + p

A simulated nue CC event showing an electron shower.

 $v_e + N \longrightarrow e + p$ 

A simulated NC event with a  $\pi^0$  showing an EM shower displaced from the vertex.

 $v_{\chi} + N \longrightarrow \pi^{0} + p$ 

- NOvA is a totally active tracking calorimeter.
- The detectors are designed with low-Z materials (mineral oil and PVC) so as to enhance the differences between muon tracks, showers caused by electrons, and showers caused by pi-zeros.
  - Moliere radius = 11 cm
  - EM radiation length = 40 cm

### Near Detector Event Display



(colors show hit times)

### Far Detector Event Display



### Far Detector Event Display



# **Calibration:**

- Compute the attenuation curve for each fiber individually using through-going cosmic muons.
- Compute the absolute energy scale for the whole detector using stopping cosmic muons.







# **Reconstruction:**

**Vertexing:** Identify a global event vertex using a Hough transform as guidance. **CC events: 11 cm vertex resolution** 



**Clustering:** Find clusters in angular space around the vertex. Match clusters between views using dE/dx.



**Tracking:** Trace particle trajectories with a Kalman filter tracker that uses a model for multiple scattering. Also have other, faster and lighter-weight trackers for calibration and monitoring tools.



# **NOvA Data Collection:**

#### **Data Summary:**

- Feb 6<sup>th</sup> 2014 May 15<sup>th</sup> 2015
- Began collecting the FD data while still under construction.
- Added each "diblock" (a unit of 64 detector planes) as soon as it was fully commissioned and physics-ready.
- The non-static detector size is also modeled in the simulations.





**Partial Far Detector during construction** (6 diblock example)



**Full Far Detector** (14 diblocks)

# $v_{\mu}$ Disappearance Results:

# $v_{\mu}$ CC Event Selection:

First apply basic containment cuts...

### <u>Muon ID</u>

- Use a 4-variable kNN algorithm to identify muons:
  - track length
  - dE/dx along track (shown top right)
  - scattering along track
  - proportion of lateral energy distribution consistent with muon MIP

Keep events with muon ID > 0.75.



# **Far Detector Cosmic Rejection:**

- We expect ~65,000 cosmic rays in-time with the NuMI beam spills per day. The expected number of contained  $v_{\mu}$  CC events per day is only a few.
- Containment cuts will remove 99% of the cosmics.



- We use a boosteddecision-tree (BDT) algorithm that takes input from reconstruction variables to reject the remaining cosmics.
- All cuts together give us > 15:1 s:b.
- Cosmics are reduced by 10<sup>7</sup>!

# **Energy Estimation:**

# **Reconstructed muon track:** length $\rightarrow E$

length  $\Rightarrow E_{\mu}$ 

### Hadronic system:

 $\sum_{\text{cells}} E_{\text{visible}} \Rightarrow E_{\text{had}}$ 





Reconstructed  $\nu_{\mu}$  energy is the sum of these two:  $E_{\nu} = E_{\mu} + E_{had}$ 

Energy resolution at beam peak ~7%

# **Far Detector Prediction:**

- (1) Estimate the underlying true energy distribution of selected ND events
- (2) Multiply by expected Far/Near event ratio and  $\nu_{\mu} \rightarrow \nu_{\mu}$  oscillation probability as a function of true energy
- (3) Convert FD true energy distribution into predicted FD reco energy distribution

### Systematic uncertainties assessed by varying all MC-based steps



# Systematics:

Most of our systematic uncertainties have **relatively little influence** on the result

Hadronic energy syst. is one with a noticeable effect — (impact reduced by ND-to-FD prediction procedure)



### Uncertainties assessed

- Hadronic Energy (14% shift, equiv. to 6% shift in v<sub>F</sub>)
- Neutrino Flux (beam modeling, hadron transport)
- Absolute and Relative Normalizations
- Neutrino Interactions (GENIE, Intranuke modeling)

- NC and ν<sub>τ</sub> background rates (100% each)
- Calibration, light-levels

   (hit energy, attenuation, thresholds)
- Oscillation parameter uncertainties (current world knowledge)

### Far Detector selected $\nu_{\mu}$ CC candidate



### Far Detector selected $\nu_{\mu}$ CC candidate



### Far Detector selected $\nu_{\mu}\, {\rm CC}$ candidate





**33 events selected in the FD** (0-5 GeV)

In the absence of oscillations, 212 events are expected.

(including 1.4 cosmic and 2.0 beam backgrounds.)

Spectrum is well matched to the oscillation parameters  $\Delta m_{32}^2$  and  $\theta_{23}$ .

(All syst. uncertainties fit as nuisance parameters.)



**Clear observation of v\_{\mu} disappearance!** 

# **v**<sub>u</sub> CC Results:

### (arXiv:1601.05037v2)



Degenerate best fit points at 0.43 and 0.60

### **v**<sub>e</sub> Appearance Results:

#### NOvA Preliminary

# **Cosmic Rejection:**

# Cut events with large reconstructed $p_T/p$

Rejects downward-directed cosmic shower

The  $v_e$  selectors themselves provide a lot of cosmic rejection





Achieve 1 part in ~10<sup>8</sup> rejection of cosmic ray interactions.

# Expected cosmic background: **0.06 events**

(measured with beam-off data)

# **v**<sub>e</sub> CC Event Selection:

#### We have developed two independent $v_e$ CC selection algorithms

→ Very different designs

#### LID: Likelihood Identification

*dE/dx* **likelihoods** calculated for **longitudinal and transverse** slices of leading shower under multiple particle hypotheses

Likelihoods feed an artificial neutral network along with **kinematic and topological info**:

*e.g.*, energy near vertex, shower angle, vertex-to-shower gap



#### Likelihoods calculated for each red and yellow region



# $v_{\rm e}$ CC Event Selection:

#### LEM: Library Event Matching

**Spatial pattern** of energy deposition is compared directly to that of  $\sim 10^8$ simulated events ("library")

Key properties of the **best-matched library events** (*e.g.*, fraction that are signal events) are input into a decision tree to form discriminant

#### *Left panels*: candidate event, both views *Right panels*: best-matched library event, both views *Middle panels*: an intermediate step in calculating the match quality



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#### LID and LEM sensitivities

Identical performance as measuredPlanewith signal efficiency, sig/bg ratio,systematic uncertainties, and overallsensitivity to  $v_e$  appearance and oscillation parameters.

# Thus, prior to unblinding, decided to **show both results** and to use the more traditional **LID technique** as the primary result where required.

# v<sub>e</sub> CC FD Event Selection:

- ND data is translated to FD bckgnd expectation in each energy bin, using Far/Near ratios from simulation
- **FD** *signal* **expectation** is pinned to the ND-selected  $v_{\mu}$  CC spectrum
- Most systematics are assessed via variations in the Far/Near ratios



#### Some FD sample stats:

Signal efficiency relative to containment cuts: 35%

Expected overlap in LID/LEM samples: 62% → Differences in which events each technique selects After all selection, **0.7% of NC events** remain, relative to those after containment

### v<sub>e</sub> FD Predictions: <u>LID selector</u>

**Background** [ plus few-percent variations depending on osc. pars. ]

 $0.94 \pm 0.09$  events [49%  $\nu_e$  CC, 37% NC]

### 2.74×10<sup>20</sup> POT equiv.

**Signal** [NH, 
$$\delta = 3\pi/2$$
,  $\theta_{23} = \pi/4$ ]  
**5.62 ± 0.72 events**  
**Signal** [IH,  $\delta = \pi/2$ ,  $\theta_{23} = \pi/4$ ]  
**2.24 ± 0.29 events**



### v<sub>e</sub> FD Predictions: LEM selector

**Background** [ plus few-percent variations depending on osc. pars. ]

 $1.00 \pm 0.11$  events [46%  $\nu_e$  CC, 40% NC]

**Signal** [NH, 
$$\delta = 3\pi/2$$
,  $\theta_{23} = \pi/4$ ]  
**5.91 ± 0.65 events**  
**Signal** [IH,  $\delta = \pi/2$ ,  $\theta_{23} = \pi/4$ ]

 $2.34 \pm 0.26$  events

Aside: Before unblinding, two sidebands checks –
(1) Near-PID (LID/LEM) sideband, and
(2) High-energy sideband

Results of both were **well within expectations**.



 $2.74 \times 10^{20}$ 

**POT equiv.** 

### Far Detector selected $\nu_e$ CC candidate



#### Far Detector selected $\nu_e$ CC candidate



Far Detector selected  $v_e$  CC candidate



### **v**<sub>e</sub> FD Events:



(All 6 LID events present in LEM set)

Probability of this overlap (or one less likely) is ~8%.

### **Result using LID selector**

FD selection:  $6 \nu_e$  candidates

For  $(\delta_{CP}, \sin^2 2\theta_{13})$  allowed regions

- Feldman-Cousins procedure applied
- solar osc. parameters varied
- $\Delta m_{32}^2$  varied by *new NOvA measurement*
- $\sin^2\theta_{23} = 0.5$



# **v**<sub>e</sub> **Results:**

• Applying the global reactor constraint of:

 $Sin^2 2\Theta_{13} = 0.086 \pm 0.005$ 

• Marginalizing over  $O_{23}$ 

Compatibility between the  $\,$  observed number of events and mass hierarchy /  $\delta_{\text{CP.}}$ 





• Both selectors prefer the NH • Results are consistent with T2K with  $\pi < \delta_{CP} < 2\pi$ .

# **NOvA First Results Summary:**

- Unambiguous observation of  $v_{\mu}$  disappearance (consistent with MINOS and T2K.)
- $v_e$  appearance observed at 3.3 $\sigma$  above predicted backgrounds, and suggests the NH and  $\pi < \delta_{CP} < 2\pi$  (consistent with T2K.)
- Near detector X-section studies are underway (some results shown at NuINT and on the arXiv.) Look for more publications soon.
- NOvA second analysis with double the stats is expected by this summer!

